

| <u>Symbol</u> | <u>Represents</u> | <u>Units</u> |
|-----------------------------------|---|---|
| $\Delta x, \Delta y, \Delta z$ | change in length in x, y or z direction | length, meters |
| A | area = xy (or πr^2 if area of a circle) | length ² , meters ² |
| V | volume = xyz (or $\pi r^2 l$ if volume of a cylinder) | length ³ , meters ³ |
| v | velocity, $\frac{dx}{dt}$ | length/time, meters/second |
| a | acceleration (rate of change of velocity, $\frac{dv}{dt}$) | length/time ² , m/sec ² |
| g | acceleration due to earth's gravity, approximately 9.8 m/sec ² | m/sec ² |
| m | mass (amount of material) | grams or kilograms |
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| $F = ma$ | force = mass x acceleration weight = mg (mass x acceleration due to earth's gravity) | newton (N) = $\frac{kg\ m}{sec^2}$ |
| E_k (or KE) | kinetic energy = $\frac{1}{2}mv^2$ | joule (J) = $\frac{kg\ m^2}{sec^2}$ |
| E_{pg} (or PE) | potential energy due to gravity = $mg\Delta z$ (weight x height) | joule (J) = $\frac{kg\ m^2}{sec^2}$ |
| $W = \Delta(E_k + E_p)$ | mechanical work = change in energy: | joule (J) = $\frac{kg\ m^2}{sec^2}$ |
| $W = F\Delta x$ | mechanical work is also equal to force x distance (1 joule = 1 newton x 1 meter) | |
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| E_T (or TE) | thermal energy, a function of an objects mass and its temerpature | (see below) |
| T | temperature ($\Delta T = T_2 - T_1$, change in temperature,) | °C |
| Q | heat flow (a transfer of thermal energy, from hot to cold) | calorie |
| | 1 calorie = amount of heat needed to raise the temperture of 1 gram of water 1°C | |
| $Q = mc\Delta T$ | heat flow as a consequence of changing an object's temperature ($\Delta T = \frac{Q}{mc}$) | |
| c | specific heat (heat capacity); for water, c is defined as 1 calorie per gram per °C | |
| $W + Q = \Delta(E_k + E_p + E_T)$ | work done + heat flow = change in energy | |
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| P | power or rate of energy use: $power = \frac{work\ done}{time\ taken} = \frac{energy\ used}{time}$ energy used = power applied x time in use (e.g. kilowatt-hour) | 1 watt = $\frac{1\ joule}{1\ second}$ |

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|---|--|------------------------|
| $\frac{Q_c}{t} = K \frac{\Delta T}{\Delta x} A$ | Conductive heat flow | |
| $\frac{Q_c}{t}$ | rate of heat flow by conduction | 1 watt = 0.239 cal/sec |
| K | thermal conductivity | watt per °C per meter |
| $\frac{\Delta T}{\Delta x}$ | temperature gradient | °C/meter |
| A | cross-sectional area through which heat is being conducted | meter ² |

| | | |
|---|--|------------------------|
| $\frac{Q_r}{t} = \sigma \epsilon A T^4$ | Radiative heat flow (Stefan-Boltzman Law) | |
| $\frac{Q_r}{t}$ | rate of heat flow by radiation | 1 watt = 0.239 cal/sec |
| σ | universal constant (fudge factor) | |
| ϵ | emissivity, a property of the material doing the radiation and its surface characteristics | |
| A | surface area of the radiator | meter ² |
| T ⁴ | absolute temperature, raised to the fourth power | °K |

$W = Q_{hot} - Q_{cold}$ Work done by a “Heat Engine”
 from a flow of heat between source (hot or input) and sink (cold or output)

$\frac{Q_{in} - Q_{out}}{Q_{in}} = W$ Efficiency = useful work done / total energy input

$\frac{T_{hot} - T_{cold}}{T_{hot}}$ Carnot’s theoretical maximum Heat Engine efficiency (T in °K)

1st Law: Conservation of Energy: input = output + change in storage

2nd Law: Energy Conversion: input = useful output + heat (heat—increase in entropy—must be > 0)

Efficiency = useful work done / total energy input

a consequence of the 2nd law is that Efficiency will always be < 100%

Energy Consumption= intensity of use x level of activity (power x time)